

# Hints for New Physics in $B_s$ studies at the Tevatron (CDF and DØ results)

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6th November 2008



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→ Measurement of the properties of oscillating particles

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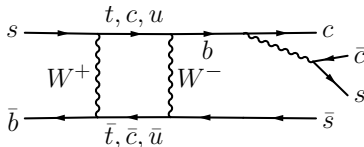
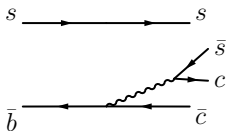
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→ Measurement of the properties of oscillating particles
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- ▶ 2006: **Mixing frequency**  $\Delta m_s$  of the  $B_s^0$  measured by CDF and DØ
- ▶ Now: Measurement of the **mixing phase**  $\beta_s$
- ▶ Accessible through interference of decays with and without mixing

$$B_s \longrightarrow J/\Psi(\rightarrow \mu^+ \mu^-) \phi(\rightarrow K^+ K^-)$$



# The CKM Matrix

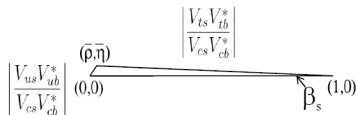
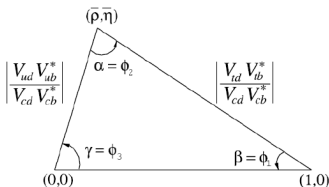
- ▶ The Cabibbo-Kobayashi-Maskawa matrix connects mass and weak quark eigenstates

$$\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

- ▶ To conserve probability, CKM matrix must be unitary.
- ▶ Unitarity relations can be represented as unitarity triangles.

$$V_{ud}V_{ub}^* + V_{cd}V_{cb}^* + V_{td}V_{tb}^* = 0$$

$$V_{us}V_{ub}^* + V_{cs}V_{cb}^* + V_{ts}V_{tb}^* = 0$$



- ▶ Subject of this measurement

$$\beta_s^{SM} = \arg\left(-\frac{V_{ts}V_{tb}^*}{V_{cs}V_{cb}^*}\right)$$



Time evolution of  $B_s$  **flavor eigenstates** described by Schrödinger equation:

$$i \frac{\partial}{\partial t} \begin{pmatrix} |B_s^0(t)\rangle \\ |\bar{B}_s^0(t)\rangle \end{pmatrix} = \left( \mathbf{M} - \frac{i}{2} \mathbf{\Gamma} \right) \begin{pmatrix} |B_s^0(t)\rangle \\ |\bar{B}_s^0(t)\rangle \end{pmatrix}$$

Diagonalize mass ( $\mathbf{M}$ ) and decay matrices ( $\mathbf{\Gamma}$ )  $\rightarrow$  **mass eigenstates**:

$$\begin{aligned} |B_s^H(t)\rangle &= p|B_s^0(t)\rangle - q|\bar{B}_s^0(t)\rangle \\ |B_s^L(t)\rangle &= p|B_s^0(t)\rangle + q|\bar{B}_s^0(t)\rangle \end{aligned}$$

Flavor eigenstates differ from mass eigenstates and mass eigenvalues are different.  $B_s$  oscillates with frequency  $\Delta m_s = m_H - m_L \approx 2|M_{12}|$

CDF	DØ
$\Delta m_s = (17.77 \pm 0.12) ps^{-1}$	$\Delta m_s = (18.56 \pm 0.87) ps^{-1}$

Mass eigenstates have different decay widths:

$$\Delta\Gamma = \Gamma_L - \Gamma_H \approx 2|\Gamma_{12}| \cos(\phi_s) \text{ with } \phi_s = \arg\left(-\frac{M_{12}}{\Gamma_{12}}\right)$$

The different phases and their SM expectation value:

$$\phi_s^{SM} = \arg\left(-\frac{M_{12}}{\Gamma_{12}}\right) \approx 4 \cdot 10^{-3} \quad \text{and} \quad \beta_s^{SM} = \arg\left(-\frac{V_{ts} V_{tb}^*}{V_{cs} V_{cb}^*}\right) = 0.02$$

New Physics affects both phases by **same** quantity <sup>1</sup>:

$$\begin{aligned} 2\beta_s^{J/\Psi\phi} &= 2\beta_s^{SM} - \phi_s^{NP} \\ \phi_s^{J/\Psi\phi} &= \phi_s^{SM} + \phi_s^{NP} \end{aligned}$$

If the new physics phase  $\phi_s^{NP}$  dominates over the SM phases  $2\beta_s^{SM}$  and  $\phi_s^{SM}$   
→ neglect SM phases and obtain:

$$2\beta_s^{J/\Psi\phi} = -\phi_s^{NP} = -\phi_s^{J/\Psi\phi}$$

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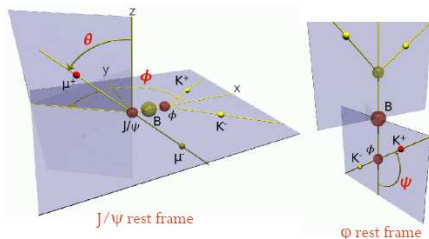
<sup>1</sup> arxiv:0705.3802v2

$$B_s \quad \longrightarrow \quad J/\psi \ (\rightarrow \mu^+ \mu^-) \quad \phi \ (\rightarrow K^+ K^-)$$

(spin=0)                      (spin=1)                      (spin=1)

Conservation of angular momentum lead to three different final states:

- $L = 0, 2$     (s-wave),(d-wave)    CP even
- $L = 1$        (p-wave)                      CP odd



## Choice of basis:

Transversity basis<sup>a</sup> with corresponding decay amplitudes:

- $A_{\perp}$     CP odd
- $A_0$        CP even
- $A_{\parallel}$     CP even

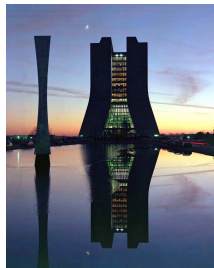
and angles

$$\vec{\rho} = (\Psi_T, \theta_T, \phi_T)$$

<sup>a</sup> hep-ph/9511363

# The Tevatron

- ▶ Tevatron: circular particle accelerator at the Fermilab (near Chicago, Illinois)
- ▶ Proton-Antiproton collisions
- ▶  $\sqrt{s} = 1.96 \text{ TeV}$
- ▶ Two detectors: CDF and DØ

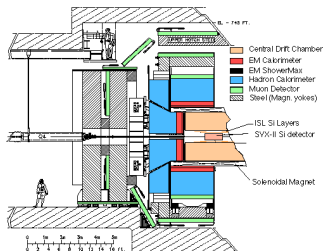


Luminosity / Experiment:

Int. Lumi.	$fb^{-1}$
delivered	$\approx 5.0$
on tape	$\approx 4.2$
this analysis	$\approx 2.8$

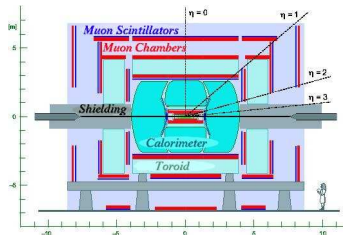
## CDF

- ▶ Strong tracking system
- ▶ Good particle identification (dE/dx and TOF)



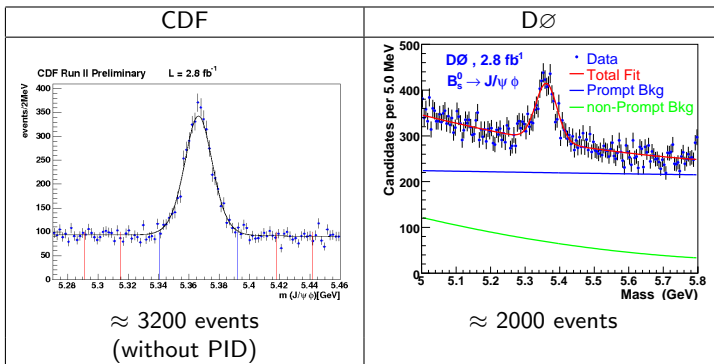
## DØ

- ▶ Large muon and tracking coverage
- ▶ B field direction reversible



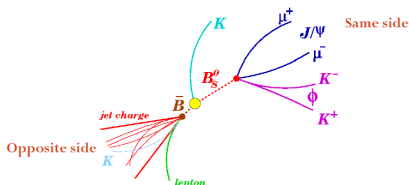
Mixing phase  $\beta_s$  and decay width difference  $\Delta\Gamma$  are extracted using an unbinned maximum likelihood fit in

- ▶ **Mass**
- ▶ Tagging information
- ▶ Proper decay time and Transversity angles



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Tagging used to increase the sensitivity on the parameters.

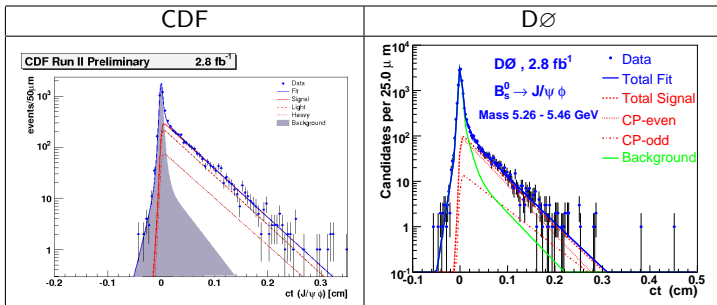
### Approach:

- ▶ **OST**: exploits decay products of other b-hadron in the event
- ▶ **SST**: exploits the correlations with particles produced in fragmentation

**Output:** Decision (b or  $\bar{b}$ ) and probability of being correct

Mixing phase  $\beta_s$  and decay width difference  $\Delta\Gamma$  are extracted using an unbinned maximum likelihood fit in

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CDF:  $\tau(B_s) = (1.53 \pm 0.04(stat.) \pm 0.01(syst.))ps$

DØ:  $\tau(B_s) = (1.52 \pm 0.05(stat.) \pm 0.01(syst.))ps$



Time and angular probability for  $B_s^0$ :

$$\begin{aligned} \frac{d^4 P(t, \vec{\rho})}{dtd\vec{\rho}} &\propto |A_0|^2 f_1(\vec{\rho}) \mathcal{T}_+(t) + |A_{||}|^2 f_2(\vec{\rho}) \mathcal{T}_+(t) \\ &+ |A_{\perp}|^2 f_3(\vec{\rho}) \mathcal{T}_-(t) + |A_0| |A_{||}| f_5(\vec{\rho}) \cos(\delta_{||}) \mathcal{T}_+(t) \\ &+ |A_{||}| |A_{\perp}| f_4(\vec{\rho}) \mathcal{U}(t) + |A_0| |A_{\perp}| f_6(\vec{\rho}) \mathcal{V}(t) \end{aligned}$$

$$\begin{aligned} \mathcal{T}_{\pm}(t) = e^{-\Gamma t} &[\cosh(\Delta\Gamma t/2) \mp \cos(2\beta_s) \sinh(\Delta\Gamma t/2) \\ &\mp \eta \sin(\Delta m_s t) \sin(2\beta_s)] \end{aligned}$$

$$\begin{aligned} \mathcal{U}(t) = e^{-\Gamma t} &[\cos(\delta_{\perp} - \delta_{||}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2) \\ &+ \eta \cos(\Delta m_s t) \sin(\delta_{\perp} - \delta_{||}) \\ &- \eta \sin(\Delta m_s t) \cos(\delta_{\perp} - \delta_{||}) \cos(2\beta_s)] \end{aligned}$$

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Explanation

► Angular functions

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Explanation

- Angular functions
- Polarization amplitudes
- Time evolution

$$\mathcal{T}_{\pm}(t) = e^{-\Gamma t} [\cosh(\Delta\Gamma t/2) \mp \cos(2\beta_s) \sinh(\Delta\Gamma t/2) \mp \eta \sin(\Delta m_s t) \sin(2\beta_s)]$$

$$\mathcal{U}(t) = e^{-\Gamma t} [\cos(\delta_{\perp} - \delta_{||}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2) + \eta \cos(\Delta m_s t) \sin(\delta_{\perp} - \delta_{||}) - \eta \sin(\Delta m_s t) \cos(\delta_{\perp} - \delta_{||}) \cos(2\beta_s)]$$

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Explanation

- Angular functions
- Polarization amplitudes
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  - $\delta_{\perp} = \arg(A_{\perp} A_0^*)$
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 $\delta_{\perp} = \arg(A_{\perp} A_0^*)$   
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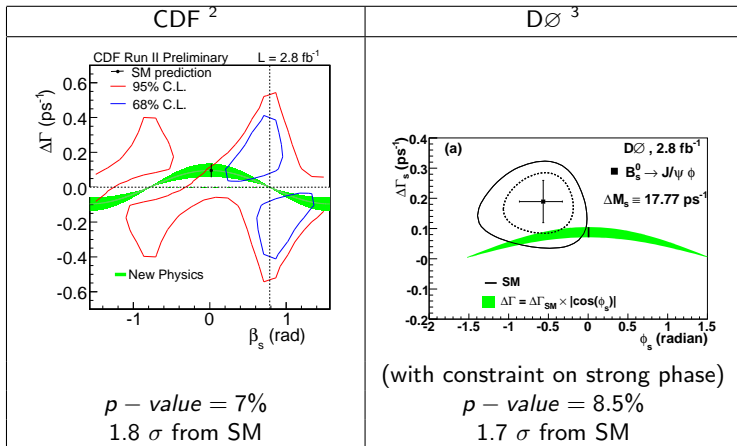
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 $\delta_{||} = \arg(A_{||} A_0^*)$
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- Errors of  $\beta_s$  and  $\Delta\Gamma$  are not Gaussian  $\rightarrow$  study confidence region
- Both experiments show the same tendency



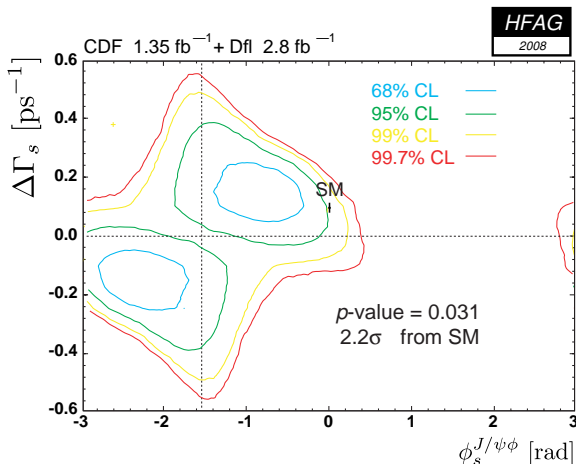
Remember:  $2\beta_s^{J/\psi\phi} = -\phi_s^{J/\psi\phi}$

<sup>2</sup> [http://www-cdf.fnal.gov/physics/new/bottom/080724.blessed-tagged\\_BsJPsiPhi\\_update\\_prelim/](http://www-cdf.fnal.gov/physics/new/bottom/080724.blessed-tagged_BsJPsiPhi_update_prelim/)

<sup>3</sup> <http://www-d0.fnal.gov/Run2Physics/WWW/results/final/B/B08A/>



Combination of the up-to-date  $D\bar{D}$  measurement with the previous CDF measurement <sup>4</sup>:



$p\text{-value} = 3.1\%$   
 $2.2\sigma$  from SM

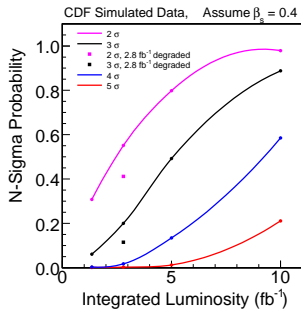
<sup>4</sup>[http://hep.physics.indiana.edu/~rickv/hfag/combine\\_dGs.html](http://hep.physics.indiana.edu/~rickv/hfag/combine_dGs.html)

Evolution of the deviation from the SM:

Date	Analysis	Deviation
Dec 2007	CDF (1.35/fb)	$1.5 \sigma$
Mar 2008	$D\bar{D}$ (2.8/fb)	$1.7 \sigma$
Jul 2008	Combination	$2.2 \sigma$
Jul 2008	CDF (2.8/fb)	$1.8 \sigma$

Fluctuations? Maybe! But the coherent pattern is interesting!

Probability to observe a non-SM  $\beta_s$  at CDF:



**Conclusions:**

**Future Plans:**

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- ▶ The (old) combined HFAG result has 2.2  $\sigma$  deviation

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## Future Plans:

- ▶ Both Experiments: Collect more data (Plan: 6-8/fb)



## Conclusions:

- ▶ Measurements of CPV in  $B_s$  system done by both CDF and DØ
- ▶ Study confidence region in  $\Delta\Gamma$ - $\beta_s$  plane
- ▶ Both CDF and DØ observe 1-2  $\sigma$  deviations from SM predictions
- ▶ The (old) combined HFAG result has 2.2  $\sigma$  deviation

## Future Plans:

- ▶ Both Experiments: Collect more data (Plan: 6-8/fb)
- ▶ DØ : Selection improvements

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- ▶ CDF: Improvements in Tagging and PID

Thanks for your Attention  
and  
Stay tuned for Updates!

$$f_1(\vec{\rho}) = 2\cos^2\Psi_T(1 - \sin^2\theta_T\cos^2\phi_T)$$

$$f_2(\vec{\rho}) = \sin^2\Psi_T(1 - \sin^2\theta_T\sin^2\phi_T)$$

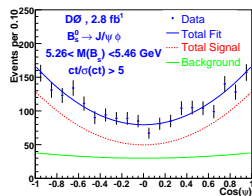
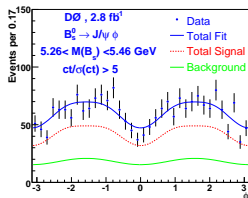
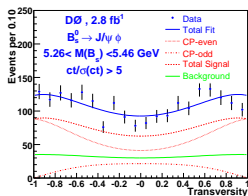
$$f_3(\vec{\rho}) = \sin^2\Psi_T\sin^2\theta_T$$

$$f_4(\vec{\rho}) = -\sin^2\Psi_T\sin 2\theta_T\sin\phi_T$$

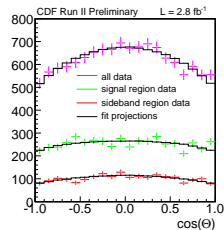
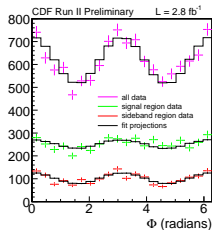
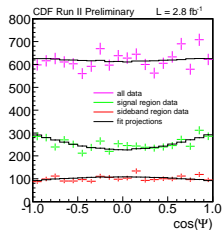
$$f_5(\vec{\rho}) = 1/\sqrt{2}\sin 2\Psi_T\sin^2\theta_T\sin 2\phi_T$$

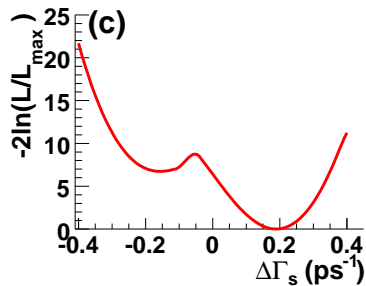
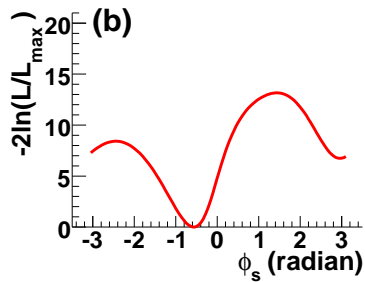
$$f_6(\vec{\rho}) = 1/\sqrt{2}\sin 2\Psi_T\sin 2\theta_T\cos\phi_T$$

# DØ : Angular Projections

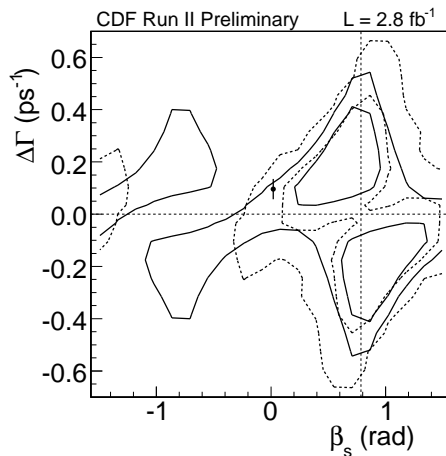


# CDF: Angular Projections

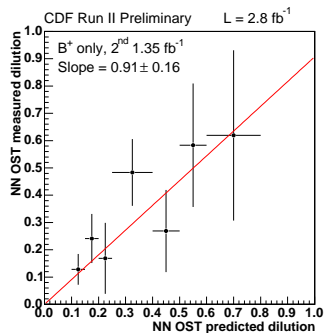
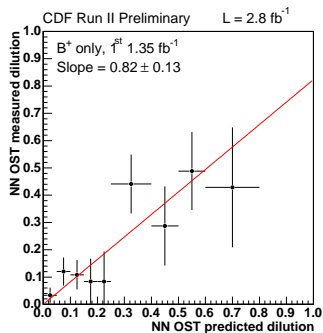


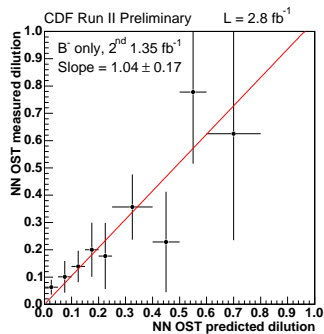
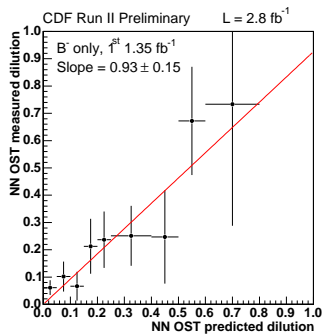


# CDF: 2D likelihood profile comparison with published result

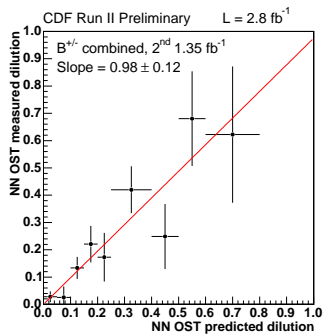
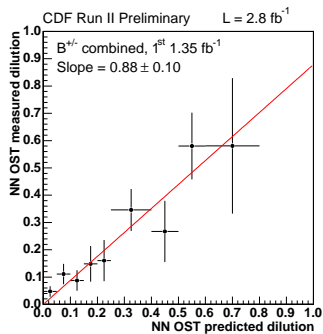




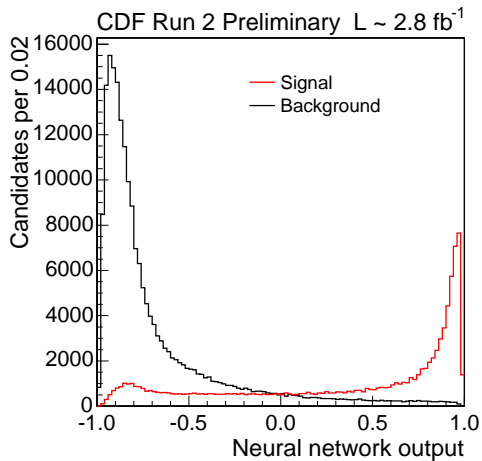


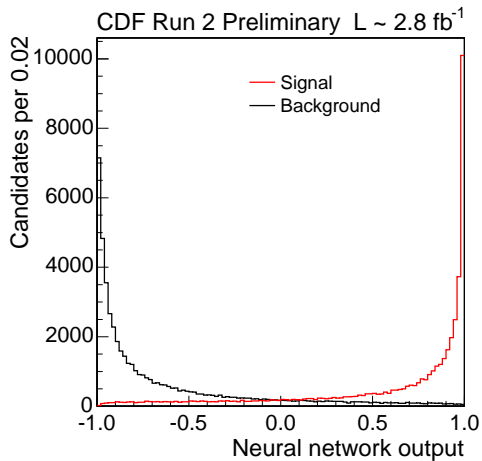


# CDF: OST in $B^\pm$



# CDF: Neural Network for $B^\pm$





# CDF: Invariant Mass of $B^+$

